

A two-phase model of galaxy formation: clumpy and bursty star formation in the early Universe

Yangyao Chen @ USTC

https://www.chenyangyao.com/

In collaboration with: Houjun Mo & Huiyuan Wang

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The 'everywhere' bimodality



NASA & ESA

Galaxy color



Peng 2010

COIC	Dr
74 CDF	-
	-
	-
2 2.4	
DF	-
	-
	-
.5 1.0	0

What is the origin of the 'everywhere' bimodality?



Dark matter halos and their assembly



Galaxy formation in the early universe Hydrodynamical simulations z=5

M31



Gas-rich and turbulent



FIRE-2 and its zoom-in runs, XC Ma 18, 20



Galaxy formation in the early universe

JWST observations of strongly lensed galaxies

SF clumps with 10 - 60pc sizes $\Sigma_{\rm gas} \sim 10^{3-5} M_{\odot}/{\rm pc}^2$

containing ~ 70% total flux





Fujimoto 24, z = 6.072

Star cluster masses ~ $10^{5.5}M_{\odot}$ Containing ~ 50% total mass $\Sigma_* \sim 10^{3-4} M_{\odot}/{\rm pc}^2$







Mowla 24, at z = 8.304

A general pipeline for the modeling galaxy formation





At high z, gas can inflows into halo core without any support from thermal pressure.

n_{sg}

The cooling at halo scale and the formation of SGC



Self-gravitation condition: $V_{gas}^2 \propto G \frac{M_f}{r_f} = G \frac{f_{gas}M_f}{f_{gas}r_f}$ Galaxy (self-gravitating cloud) size: $r_{sgc} \propto f_{gas}r_f$

SGC density:

$$f_{str} f_{gas} M_v = \frac{f_{str} f_{gas} M_v}{(4\pi/3)(f_{gas} R_v)^3 \mu m_p} = 663.24 \text{ cm}^{-3} (1+z)_{10}^3$$

Gas dynamics within SGC

of sub-clouds.

Jeans mass gives the typical sub-clouds mass:

Collision of inflow gas with pre-existing gas generates turbulence and raises the density of sub-clouds:

 $\rho_{\rm sc}/\rho_{\rm sgc} \sim \mathcal{M}^2 \sim$

 $\mathcal{M}_{\rm v} \sim V_{\rm v}/c_{\rm s} \sim 8.$

 $\mathcal{M}_{\rm w} \sim V_{\rm w}/c_{\rm s} \sim 2$

Sub-clouds is like a tiny bullet, moving without drag force/collision within the SGC.



Ballistically moving sub-clouds

Gravitational instability of SGC leads to its fragmentation, and the formation

$$M_{\rm J} = 5 \times 10^7 \left(\frac{c_s}{10 \,\mathrm{km \, s^{-1}}}\right)^3 \left(\frac{n_{\rm sgc}}{1 \,\mathrm{cm^{-3}}}\right)^{-1/2}$$
$$\sim 10^6 - 5 \times 10^7 M_{\odot}$$

$$V_{\rm v}^2 + V_{\rm w}^2$$
$$.00M_{\rm v,10}^{1/3}(1+z)_{10}^{1/2} \sim 13.86M_{\rm v,11.5}^{1/3}(1+z)_3^{1/2}$$
25

For $f_{gas} \sim 0.16 > \lambda \sim 0.04$, rotation support does not appears. The subclouds form a dynamically hot system.



Ma+ 2020, FIRE-2 zoom-ins

Formation of one cluster triggers more





Star formation within SGC

Star formation in sub clouds leads to a stellar bulge (early-type galaxy). The total amount of formed stars:

$$\Delta M_* = \epsilon_* \Delta M_{\rm v} F_{\rm cool} F_{\rm sn} F_{\rm agn}$$

$$F_{\text{cool}} = \frac{1}{1 + (M_{\text{v}}/M_{\text{cool}})^{\beta_{\text{cool}}}},$$

$$F_{\text{agn}} = 1 - \frac{\alpha_{\text{agn}}M_{\text{bh}}c^2}{M_{\text{g}}V_{\text{g}}^2},$$

$$F_{\text{sn}} = \frac{\alpha_{\text{sn}} + (V_{\text{g}}/V_{\text{w}})^{\beta_{\text{sn}}}}{1 + (V_{\text{g}}/V_{\text{w}})^{\beta_{\text{sn}}}}.$$



SMBH accretion in SGC

The fraction of 'dynamically hot' gas capture by the SMBH:

 $\frac{\Delta M_{\rm acc}}{\Delta M_{\rm g}} = \frac{\dot{j}_{\rm cap}}{\dot{j}_{\rm turb}} = \frac{V_{\rm g} r_{\rm cap}}{V_{\rm g} r_{\rm g}} = \frac{V_{\rm g}^2 r_{\rm cap}}{V_{\rm g}^2 r_{\rm g}} \propto \frac{G M_{\rm bh}}{G M_{\rm g}}$ $\frac{\Delta M_{\rm acc}}{\Delta M_{\rm g}} = \alpha_{\rm cap} F_{\rm en} \frac{M_{\rm bh}}{M_{\rm g}}$ Regenerated low-j gas by a positive SN feedback $F_{\rm en} = \frac{\alpha_{\rm en} + (M_{\rm v}/M_{\rm en})^{\beta_{\rm en}}}{1 + (M_{\rm v}/M_{\rm en})^{\beta_{\rm en}}}$



Galaxy formation in the fast phase



Gas contraction & fragmentation

Star formation in sub clouds and BH accretion



self-gravitating cloud & ballistically-moving sub-clouds

dynamically hot stellar bulge (early-type galaxy)









Predicted evolution history of individual galaxies

More predictions

- SMBH and stellar mass functions.





The double-power-law SMHM relation



The SMHMBH relation





The bulge size-(halo, bulge, SMBH) masse relations

- starting from the galaxy-halo homology relation, $r_{eff} = 0.01 r_{f}$.
- Combining non-linear mass-mass relations step by step.



Size - mass relation of dynamically hot galaxies inefficient cooling Hubble C/X 4 1.01 × 4 1.03 × 5 × 10 0.4 expansion AGN feedback $\beta = 0.33 \text{ to } 0.23$ SN feedback SF efficiency peak $10^{10.5} h^{-1} M_{\odot} M_{*,\text{bulge}} = \epsilon_* (M_f) M_f$ $\frac{1}{\beta=1}|3\times 2|3$ $r_v \propto M_v^{1/2}$ 12 10 11 4 5 9 $\log {M_{st,\,\mathrm{bulge}}} \left[{h^{\,-1}}{M_{\odot}} ight]$ $\log\,M_{ m bh}\,[h^{\,-1}M_\odot\,]$



The picture of two-phase galaxy formation

Basic model assumption: the transition of halo from fast to slow drives the transition of galaxy from dynamically hot to cold.





A multi-scale semi-analytical model of galaxy formation

Key idea: model the larger-scale structure first, and use it as the environment of smaller-scale structure.



ChenMoWang+ in prep



Globular clusters as tracers of large-scale and small-scale environment

Baryon dominating



DM dominating



